



РОСАТОМ

XIV international conference «Zababakhin Scientific Talks»

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ГОСУДАРСТВЕННАЯ КОРПОРАЦИЯ ПО АТОМНОЙ ЭНЕРГИИ «РОСАТОМ»

MODELING OF RICHTMYER-MESHKOV, RAYLEIGH-TYLOR AND KELVIN-HELMHOLTZ INSTABILITY DEVELOPMENT ON POWER LASER FACILITIES

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Power Laser Facilities



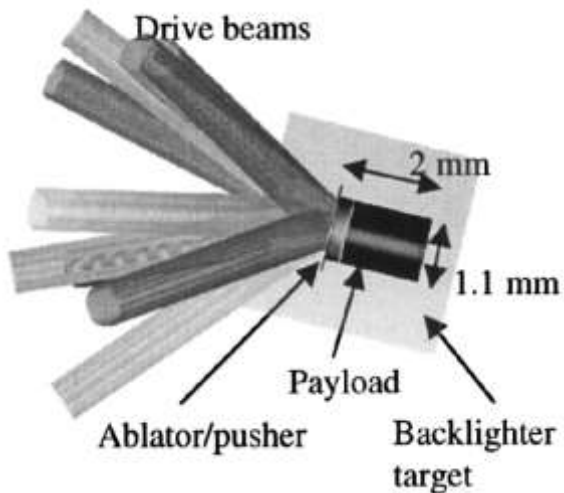
GARPUN	100 ns	100 J		$I=2-5 \cdot 10^8 \text{W/cm}^2$
NIKE	4 ns	300 J	56 beams	$I = 1.4 \cdot 10^{12} \text{W/cm}^2$
ISKRA-4	1.2 ns		4 beams	$I = 0.5-1 \cdot 10^{14} \text{W/cm}^2$
SG-II	2 ps	1.5 kJ	8 beams	
SG-IIUp	3 ns	40 kJ	8 beams	
SG-III	3 ns	200 kJ (2012)	48 beams	1.4 MJ (2020)
OMEGA	1 ns	5 kJ	10 beams	$I = 6 \cdot 10^{14} \text{W/cm}^2$
NIF		1.8 MJ	192 beams	
Laser	3 ns	2 kJ		

Power Laser Facilities allow investigating fluids subjected to strong compression at high density energies.

OMEGA: RT-RM instabilities miniature shock tube

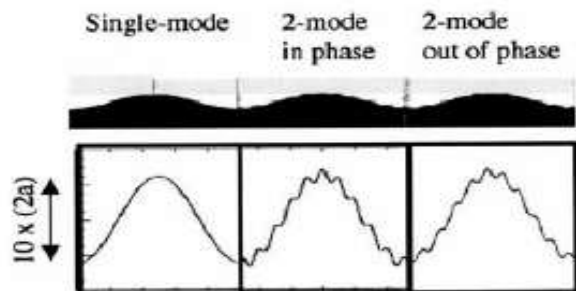


A.R. Miles, M.J. Edwards, B. Blue, J.F. Hansen, H.F. Robey, R.P. Drake, C. Kuranz, and D.R. Leibbrandt The effect of a short-wavelength mode on the evolution of a long-wavelength perturbation driven by a strong blast wave/ Physics of Plasmas 11, 5507 2004.

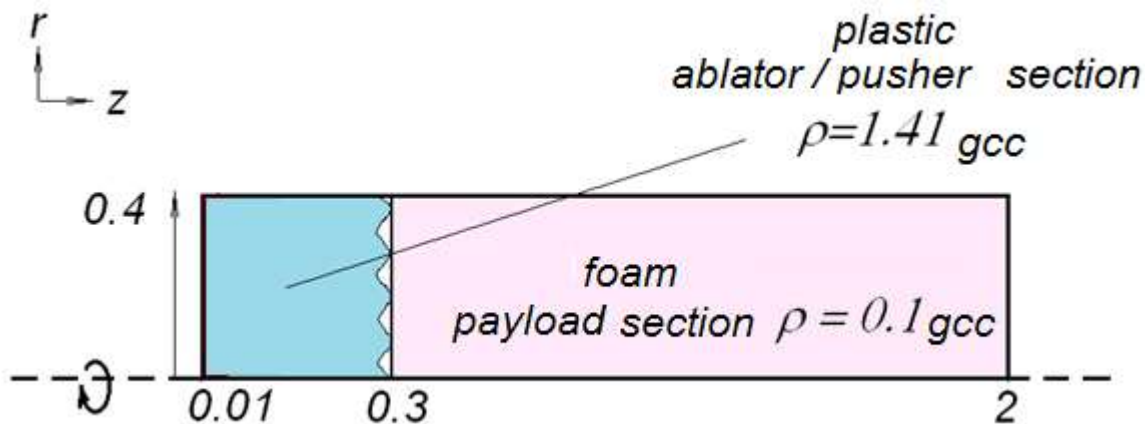


$E = 5 \text{ kJ}$,
 $\tau = 1 \text{ ns}$,
 10 beams

$r_f = 515 \text{ mkm}$
 100 ps



Mode 1: $\lambda = 50 \mu\text{m}$, $a = 2.5 \mu\text{m}$ ($ka = 0.3$), 120 ppw
 Mode 10: $\lambda = 5 \mu\text{m}$, $a = 0.25 \mu\text{m}$ ($ka = 0.3$), 12 ppw



Simulation code FOCUS*



*N.A. Mikhailov, I.V. Glasyrin, Method of contact bound steepening for the simulation of 3D multiphase compressible flows in Euler variables Zababakhin Scientific Talks international Conference March 20-24, 2017 Abstracts– Snezhinsk: RFNC-VNIITF, c. 326, 2017.

Euler equations of multicomponent gas dynamics
in Cartesian coordinate system

$$\frac{\partial \vec{u}}{\partial t} + \nabla \cdot \overline{\vec{f}}(\vec{u}) = \vec{b}$$

Vector of quasiconservative variables $\vec{u} = (\rho_1 \alpha_1, \dots, \rho_N \alpha_N, \rho v_x, \rho v_y, \rho v_z, \rho E, \alpha_1, \dots, \alpha_{N-1})'$

$\overline{\vec{f}}$ consists of physical flow vectors $(\vec{f}_x, \vec{f}_y, \vec{f}_z)$

$\alpha_k = V_k/V$ - volume fraction of k-component

Simulation is carried out on 3D unstructured grid composed of arbitrary polyhedrons using finite volume method for discretization.

*Normal flows in cell face center are determined by **Godunov** type scheme (HLL).*

*Flows in mixed cells are calculated accounting boundary between two fluids: geometric **VoF** TVD piecewise linear multidimensional 3D reconstruction is used for value restoration.*

***Hancock** method is used for time discretization*

Second order scheme on space and time!

Problem Statement 2D



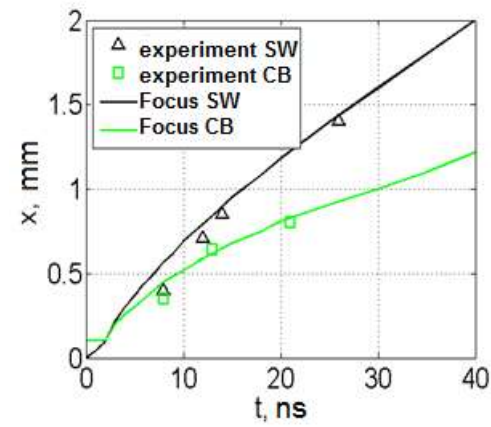
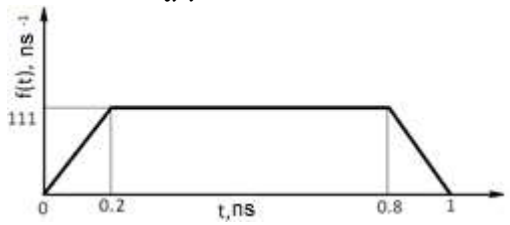
- EOS ideal gas
- equal pressure $P_3 = P_4$
- interface SIN: $\lambda = 50$ mkm, $A = 2.5$ mkm
- Regions 2-4 have square grid $\Delta = 0.5$ mkm:
 $\lambda = 100$ cells, amplitude = 5 cells.
- BC: left-right – free; top-bottom – walls

$$P = (\gamma - 1) \rho C_v T.$$

No	fluid	Density, ρ gcc	γ	C_v , 10 ⁴ kJ/(g × keV)	Temperature T, keV	Wigth, mm
1	He	0.01	5/3	3.6	1.0×10^{-3}	10
2	plastic	1.41	5/3	10	2.5×10^{-5}	0.01
3	plastic	1.41	5/3	10	2.5×10^{-5}	0.1
4	foam	0.1	7/5	10	4.5×10^{-5}	1.9

Energy release: **uniformly on** focal spot during 1 ns on skin depth $h = 10$ mkm.

$$\frac{dE}{dt} = E_0 \cdot f(t)$$



$E_0 = 0.175$ GJ/(g·ns)
 absorption coefficient of
 laser energy **35%**.

SW & CB coordinate

CALE *- FOCUS

* R. T. Barton, *Numerical Astrophysics* (Jones and Bartlett, Boston, 1985).

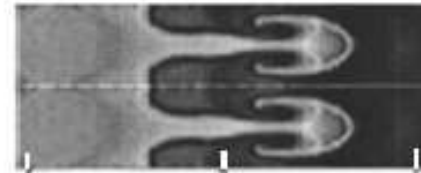
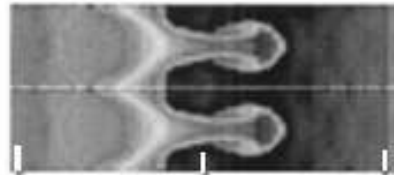
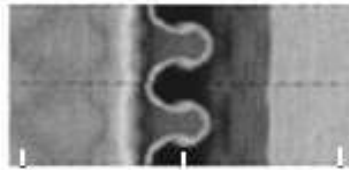


4 ns

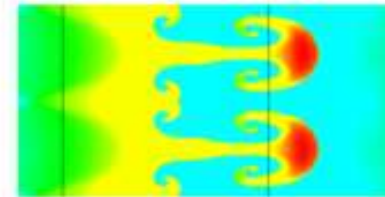
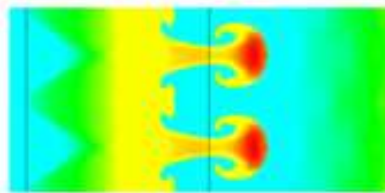
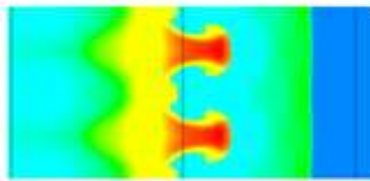
6 ns

8 ns

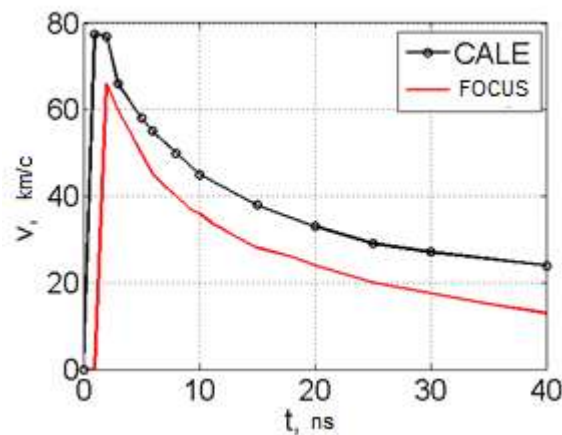
CALE



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1 mark =
100 mkm

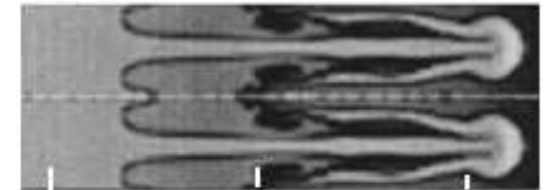
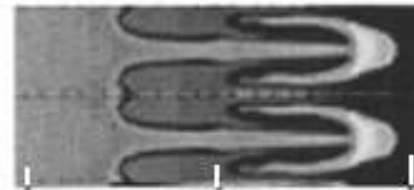


Interface velocity

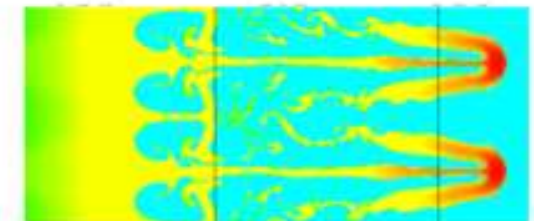
12 ns

16 ns

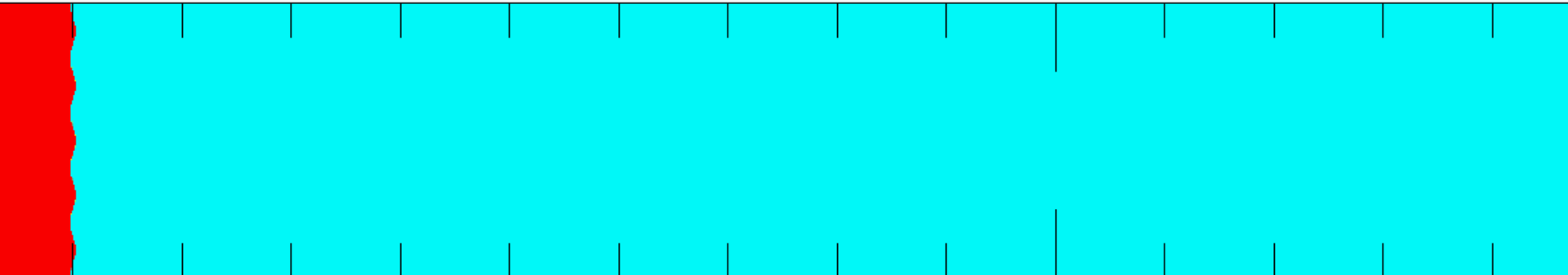
CALE



FOCUS



Bubbles and Spikes dynamics

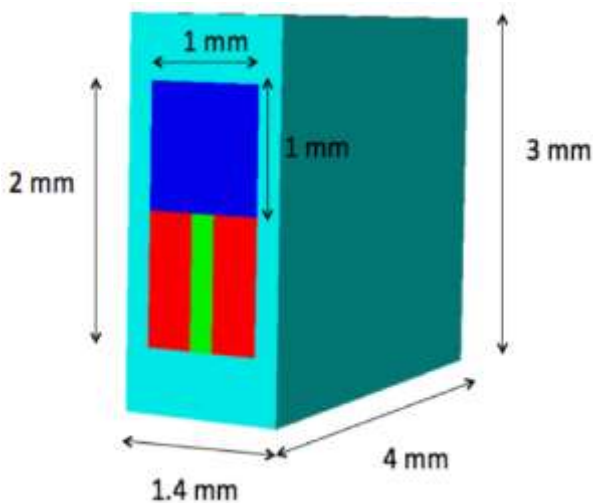
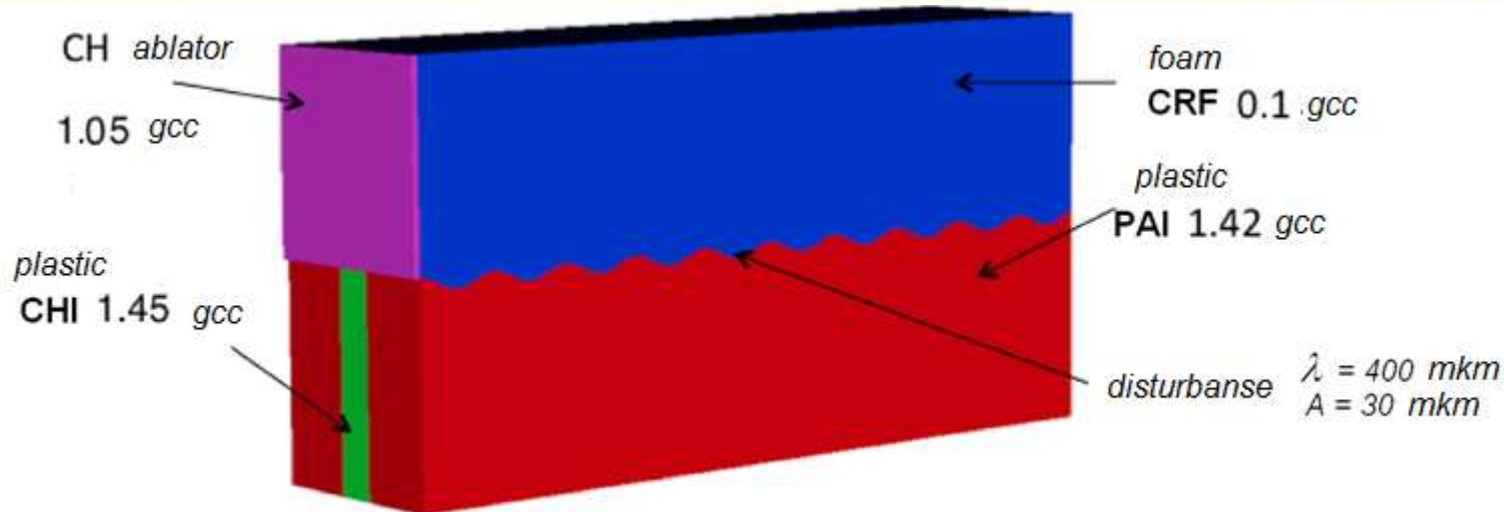


Density in constant range 0.004 - 0.4 gcc



OMEGA: KH instability

(*) K.S. Raman, O.A. Hurricane, H.S. Park, B.A. Remington, H. Robey, V.A. Smalyuk. Three-dimensional modeling and analysis of a high energy density Kelvin-Helmholtz Experiment Physics of Plasmas, 22 2012. LLNL-JRNL-531731.

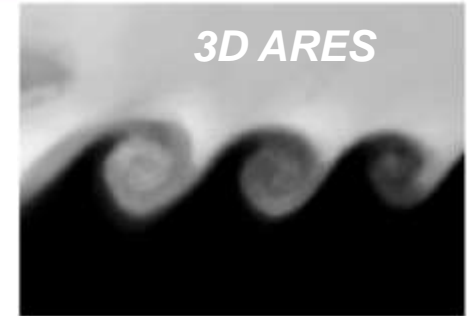
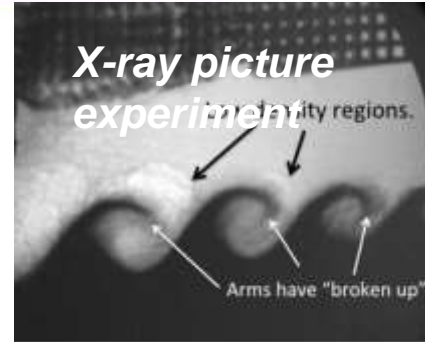
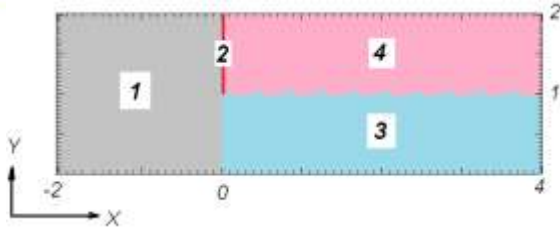


$E = 4 \text{ kJ}$, $\lambda = 0.351 \text{ mkm}$
 $r_f = 430 \text{ mkm}$
10 beams, $\tau = 100 \text{ ps}$

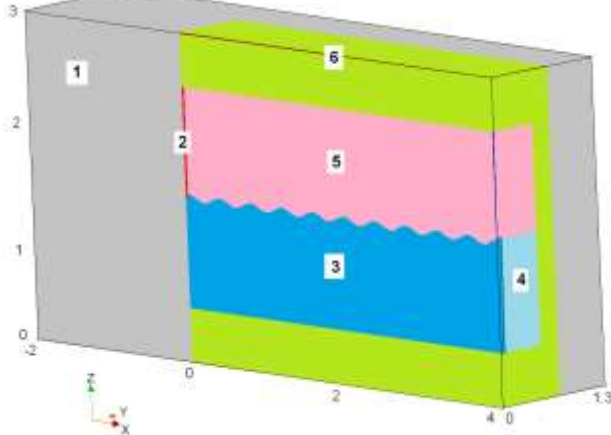
Problem Statement 2D, 3D



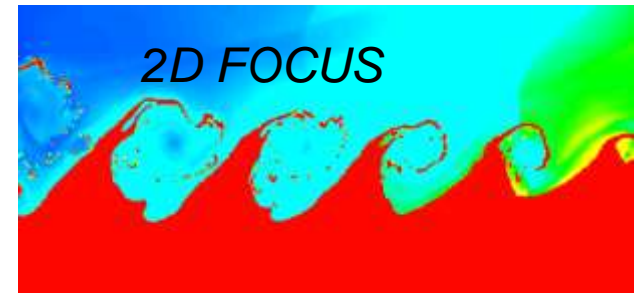
2D



3D



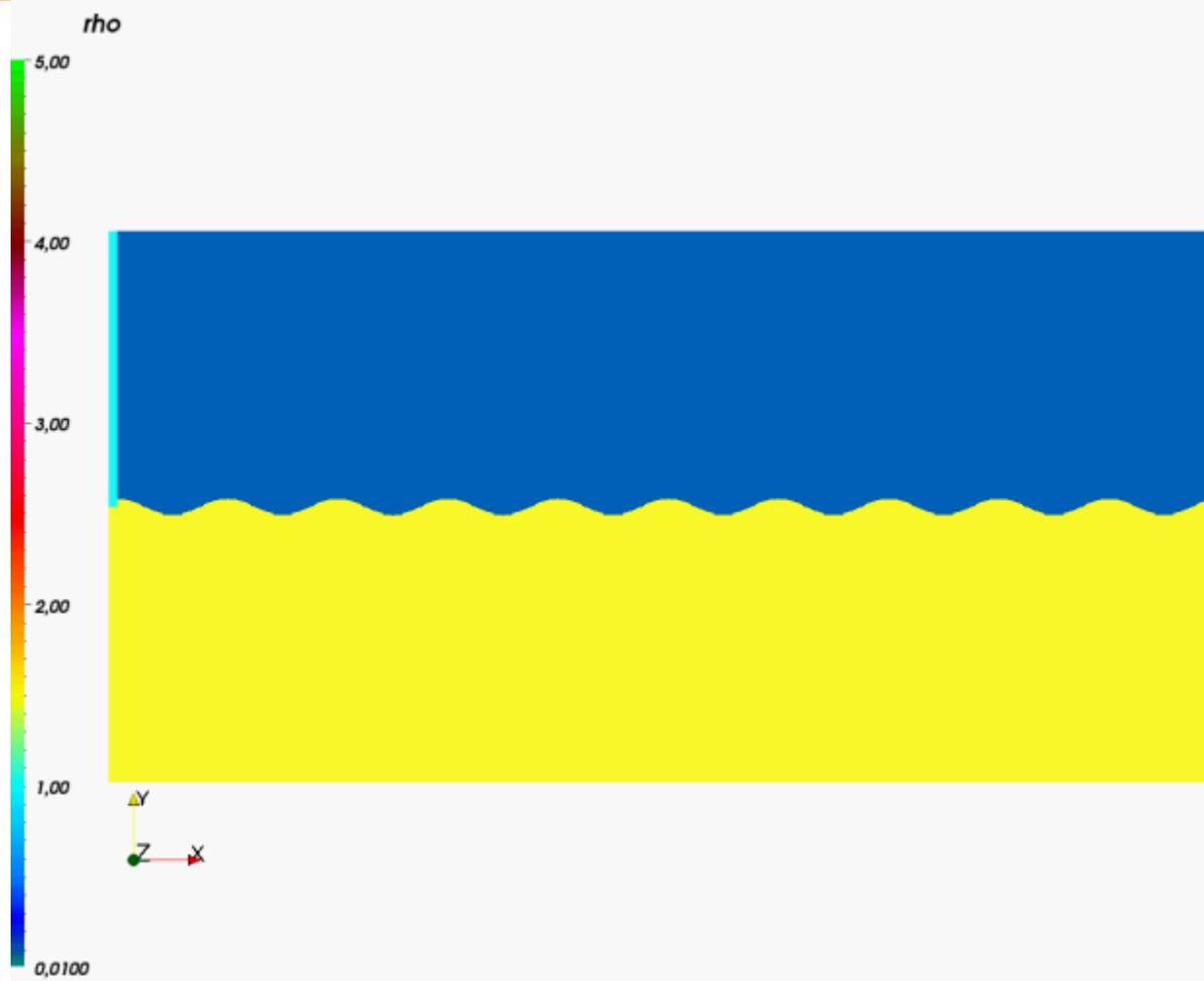
- EOS ideal gas
- equal pressure in 3-5 regions
- disturbance SIN
- $\lambda = 400\text{mkm}$, $A = 30\text{ mkm}$



- regions 2-4 square grid $\Delta = 1\text{ (15) mkm}$; $\lambda = 400\text{ (26) cells}$, $A = 30\text{ (2) cells}$
- BC 2D: left-right – free; top-bottom – walls
- BC 3D: $y = 0$ – symmetry plane, other -- free

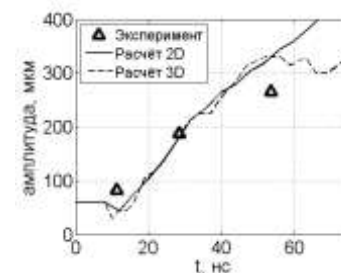
regions	1	2	3	4	5	6
density	He	plastic	plastic	plastic	foam	Be
ρ , gcc	0.01	1.05	1.45	1.41	0.1	1.84

Rollup height dynamics

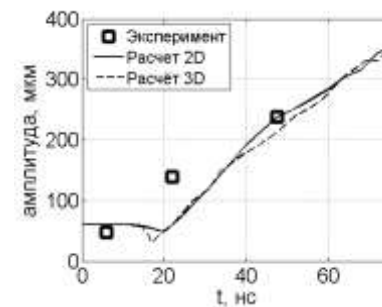


Peak-to-valley height

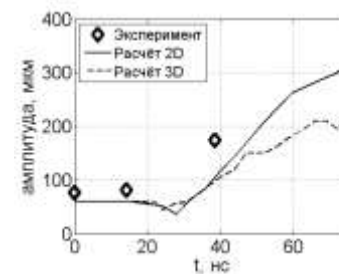
2nd rollup



3rd rollup



4th rollup

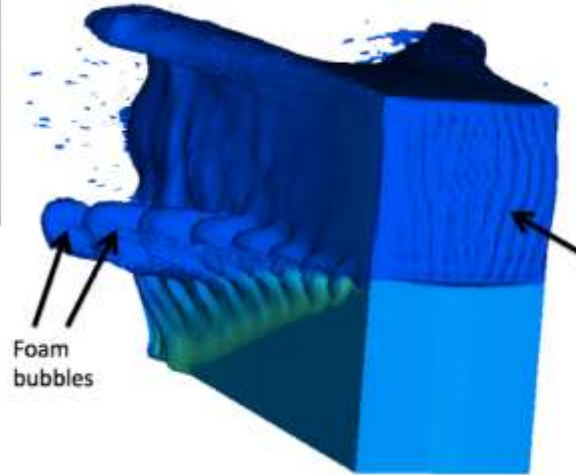
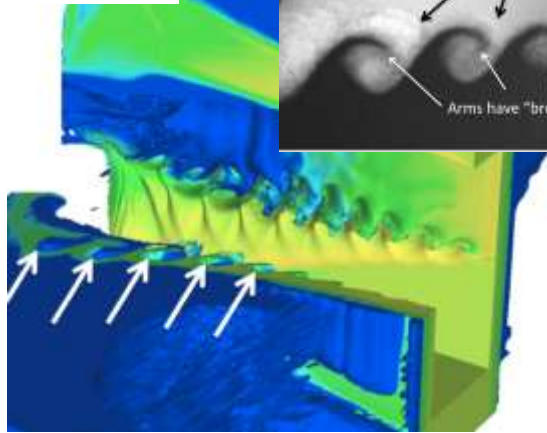
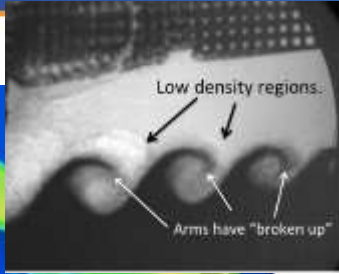


ARES* - FOCUS

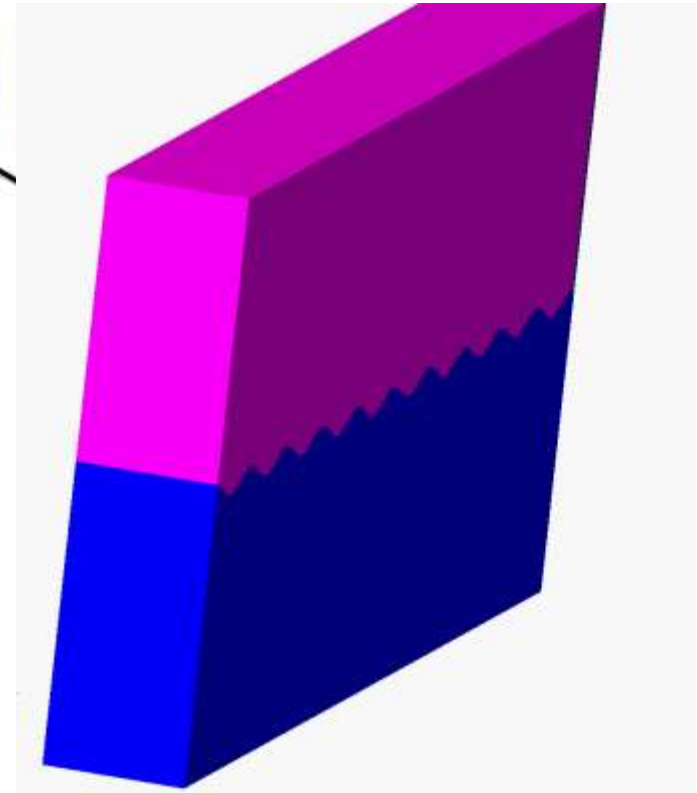
R.M. Darlington, T. L.McAbee, and G. Rodrigue, *Comp. Phys.Comm.* 135, 58 (2001)



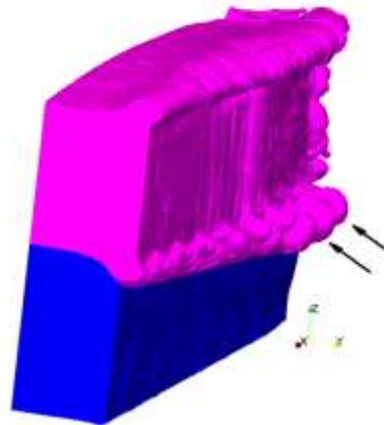
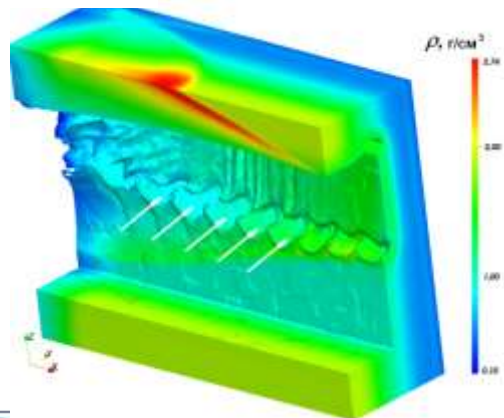
ARES



Distribution: foam (on the left) plastic (on the right) at the moment of SW escaping domain



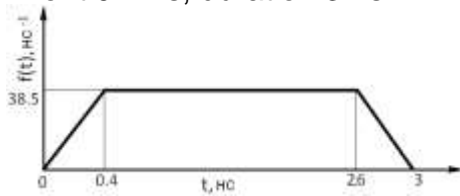
FOCUS



Prediction for $E = 2$ kJ RT-RM instabilities



Energy release vs time:
front 0.4 ns, duration 3 ns



Density
ratio

$$\rho_3 / \rho_4$$

A

Small

$$1.41 / 0.94$$

0.2

Middle

$$1.41 / 0.3862$$

0.57

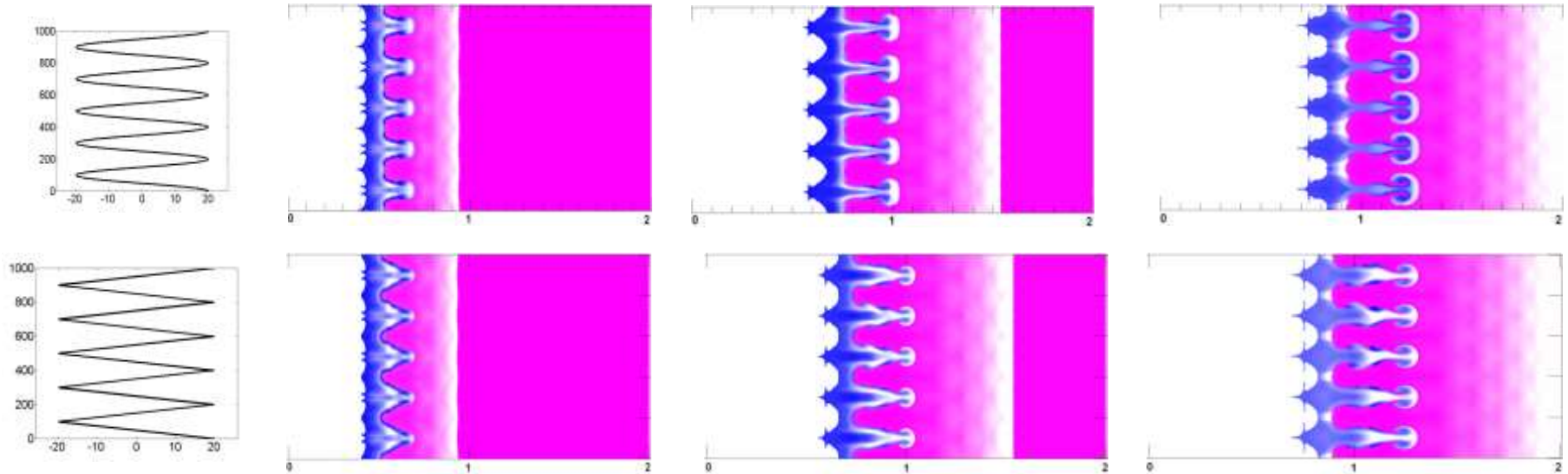
Large

$$1.41 / 0.036$$

0.95



$$\lambda = 200 \text{ mkm} \text{ и } A = 20 \text{ mkm}$$



Concentration distribution in third (blue) and fourth (pink) regions for middle density ratio taking into account density gradient.
Time moments from left to right 40, 80, 120 ns. Size in millimeters

**Spikes and bubbles have similar size and shape regardless the shape of disturbance peaks:
smooth or sharp. Flow structure is regular**

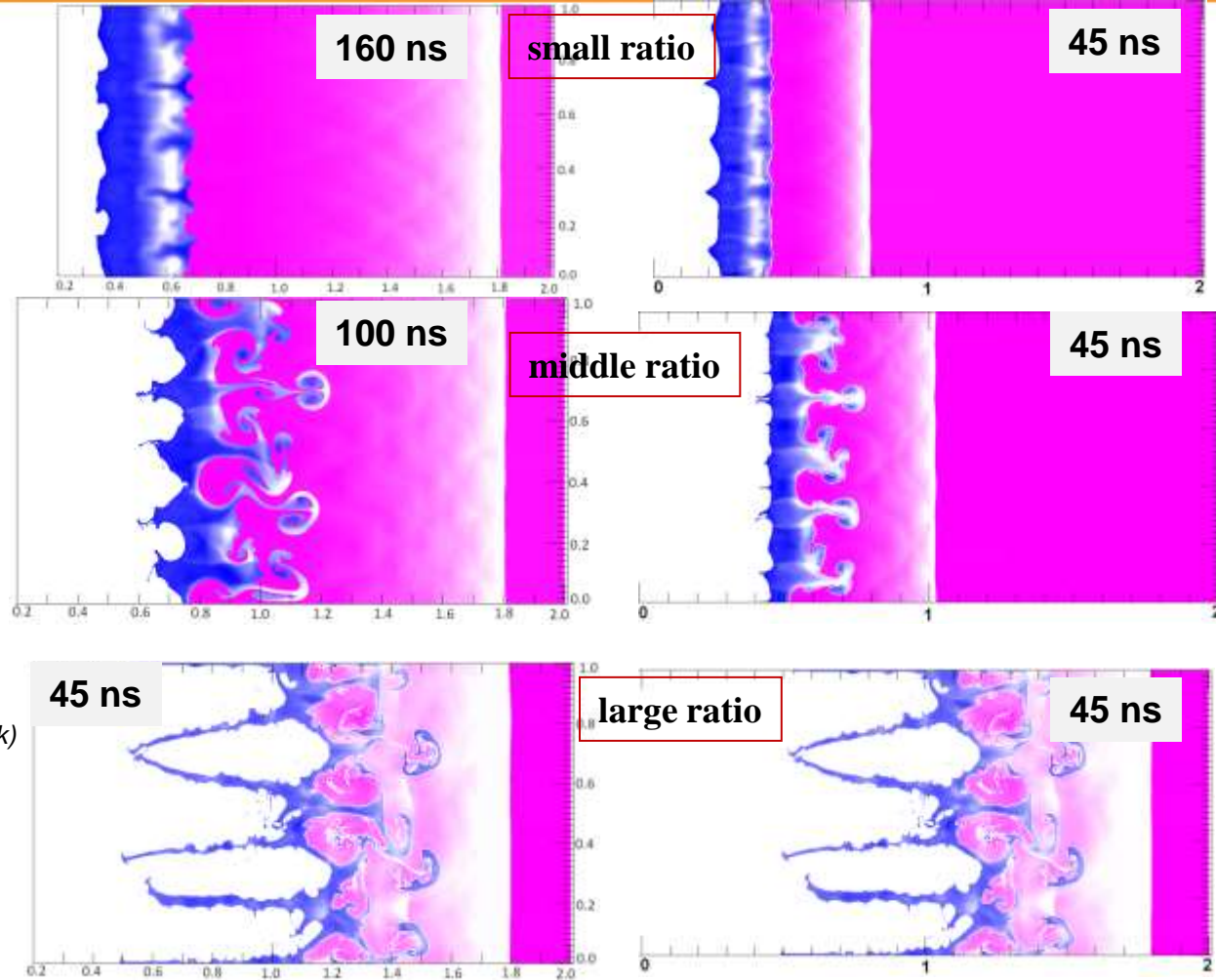
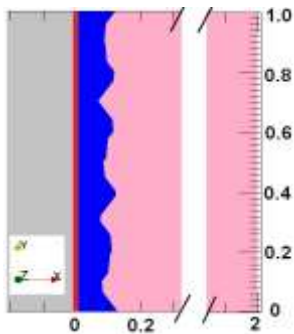
Prediction for $E = 2$ kJ RT-RM instabilities



Disturbance: superposition of two saw-tooth wave:

- 1) $\lambda_1 = 200$ mkm, $a_1 = 20$ mkm
- 2) $\lambda_2 = 128$ mkm, $a_2 = 10$ mkm

Initial interface



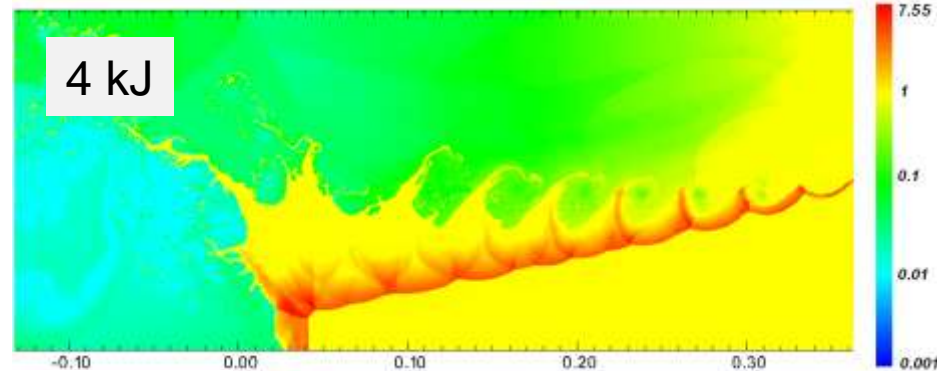
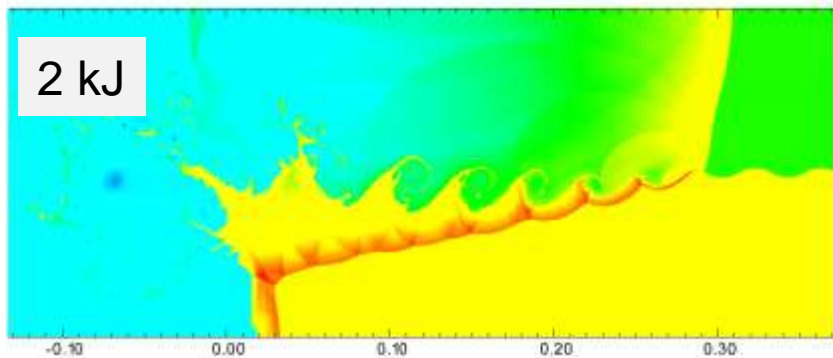
Concentration distribution in third (blue) and forth (pink) regions for small (top), middle (center), large density (bottom) ratios taking into account density gradient. Time moments correspond to SW front location $x = 1.8$ mm: 160, 100, 45 ns. Size in millimeters

Increasing density ratio leads to rapid growth of instability development on interface. In the case of large density ratio the plastic shell is divided into separate fragments.

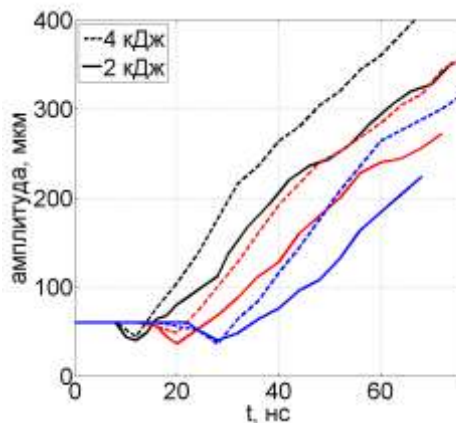
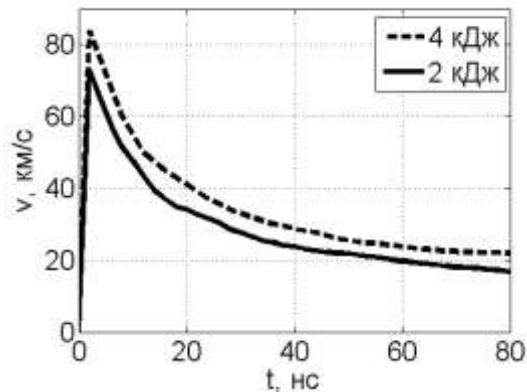
Prediction for $E = 2$ kJ KH instability



Density distribution, $t = 80$ ns



SW velocity



Peak-to-valley height vs time
2nd rollup (black),
3rd rollup (red) and
4th rollup (blue).

2 kJ data (solid line) shift to the left along time axis to match moments of interaction of SW and correspond rollup

In the case of 2 kJ SW velocity is 20% less than in the case of 4 kJ. Deceleration rate conserves. For that reason RH instability has lower growth rate. BUT! Total flow is typical for high level KH instability.

Conclusion



Code FOCUS describes development of hydrodynamic instabilities correctly;

Laser pulse energy 2 kJ is enough to instability investigating at different density ratio on interface

It is time to
discuss in details new experiments



Thank you

